

# On the Traceability of Tags in SUAP RFID Authentication Protocols

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**Abstract**—RFID technology is one of the most pervasive computing technologies with important advantages and a wide range of applications. Nevertheless, the widespread adoption of RFID technology mainly depends on fixing the security and privacy concerns of this technology. Using a tagged object should not lead to the traceability of this object. This concern is a challenging issue that has motivated the proposal of several authentication protocols that attempted to fix the traceability problem.

In this paper, we analyze the security of three authentication protocols that have been recently proposed by Morshed *et al.* [2]. Our security analysis clearly highlights important security pitfalls in these protocols that lead to their vulnerability against traceability. The proposed attacks require only several runs of the protocols while the adversary's advantages to trace the tagged object are maximal.

## I. INTRODUCTION

Radio frequency identification (RFID) is a prominent technology for automated identification with various applications, e.g., supply chain management, e-passports, human implants and toll payment. RFID systems consist of RFID tags, RFID readers and a back-end database.

- The *RFID tags* are connected or embedded to the objects that are supposed to be identified by the RFID reader.
- The *RFID reader* reads through radio frequency signals the RFID tags and may also be able to modify the tags' information.
- The *back-end database* provides extra storage space where additional information about the tagged objects may be stored. Obviously, it is much more reliable to keep the valuable data of all tags in back-end database and transfer only the necessary data of a particular tag, in case of request, to the reader.

Low cost RFID tags are increasingly being deployed in various applications. Nevertheless, high security and privacy concerns are raised depending on the application. Traceability of RFID tags is an important issue that should be avoided in order not to violate the privacy rights of the parties carrying or using the tagged objects.

As a result of the increased deployment of RFID tags, a broad range of RFID authentication protocols have been

proposed. Among them, recently Morshed *et al.* in [2] have proposed three protocols, called SUAP1, SUAP2 and SUAP3 based on an approach which uses two very different but widely known approaches to design an RFID protocol, i.e. the “low-cost authentication protocol (LCAP)” [3] approach and the “one-way hash-based LCAP (OHLCAP)” [1] approach, and claimed that their protocols are more secure than other existing schemes. However, in this work we investigate the security of the SUAP protocols and show that these protocols are vulnerable to traceability. We describe a traceability attack which can be deployed against all three variants of the SUAP protocol. The proposed attack on these protocols is highly efficient, has success probability almost equal to 1 and can be performed on the cost of 16 runs of the *learning phase* of the protocol and only one run of the *on-line phase* of the protocol.

**Paper Organization:** In section II we give a brief description of the SUAP protocols (i.e. SUAP 1, SUAP 2 and SUAP 3). In Section III we explain the proposed traceability attack against the three variants of the SUAP protocols. Finally, section IV concludes the paper.

## II. PROTOCOLS DESCRIPTION

### A. SUAP1

Based on SUAP1 designers' claims, this protocol can be used in an RFID system where a small number of RFID tags is employed. In this protocol, a common secret  $x$  and the tag's identifier  $ID$  are stored in the tag and the back-end database keeps the tag's identifier  $ID$ , the common secret number  $x$  and the hash address  $Had = h(ID)$  for each tag. The protocol SUAP1 (depicted in Fig. 1) can be summarised as follows:

- 1) The reader generates a random number  $r_1$  and sends it to the tag.
- 2) After receiving  $r_1$ , the tag generates another random number  $r_2$ . If  $r_1$  or  $r_2$  equals 0, the protocol aborts. Otherwise, the tag does as follows:

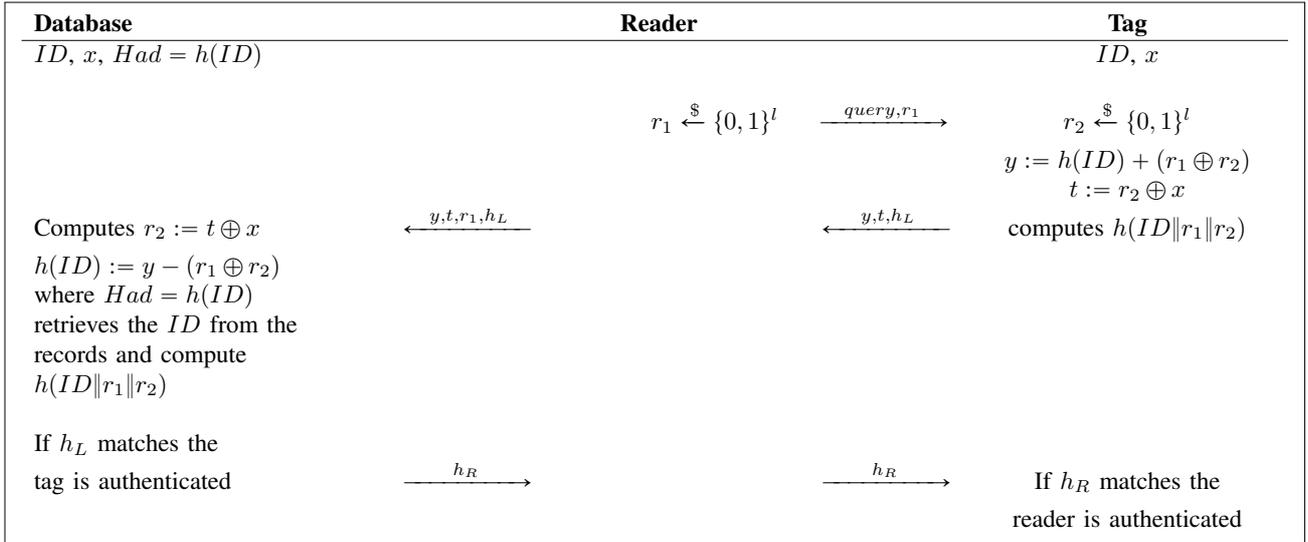


Fig. 1. The SUAP1 authentication protocol proposed by Morshed *et al.* [2].

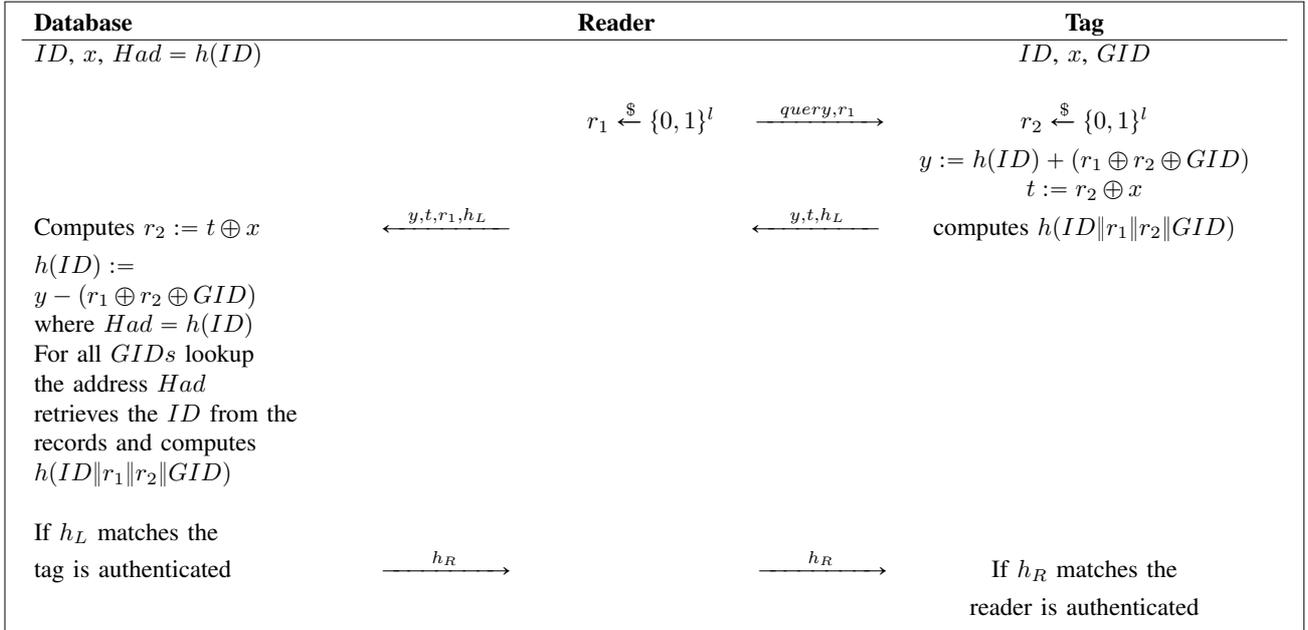


Fig. 2. The SUAP2 authentication protocol proposed by Morshed *et al.* [2].

- it computes  $\begin{cases} y = h(ID) + (r_1 \oplus r_2) \\ t = r_2 \oplus x \\ h(ID\|r_1\|r_2) \end{cases}$
  - it sends  $y, t$  and the left half of the computed hash value, i.e.  $h_L$ , to the reader.
- 3) The reader then sends  $y, t, h_L$  and  $r_1$  to the back-end database.
  - 4) After receiving the values  $y, t, h_L$  and  $r_1$ , the back-end database:
    - retrieves  $r_2$  as  $t \oplus x$ .
    - retrieves  $Had$ , i.e.  $h(ID)$ , as  $y - (r_1 \oplus r_2)$  where  $Had$  is the address of the record containing the  $ID$ .
    - retrieves  $ID$  from the record.
    - computes  $h(ID\|r_1\|r_2)$ .
    - compares the left half of the computed value of  $h(ID\|r_1\|r_2)$  by the received value of  $h_L$ . If they are the same, it authenticates the tag and sends  $h_R$  to the reader where  $h_R$  is the right half of  $h(ID\|r_1\|r_2)$ .
  - 5) The reader forwards  $h_R$  to the tag.
  - 6) Upon receiving  $h_R$ , the tag compares the received value with the computed value. If they match, the tag authen-

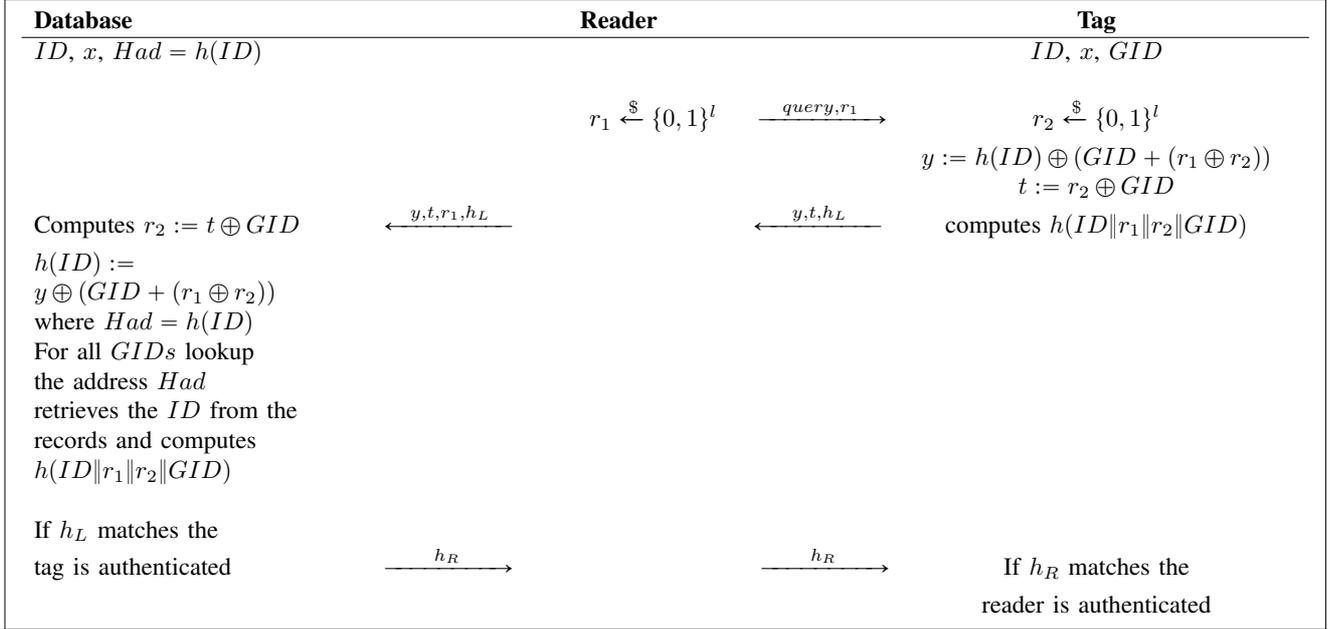


Fig. 3. The SUAP3 authentication protocol proposed by Morshed *et al.* [2].

$ID$	Unique identifier of the RFID tag
$x$	Common secret key of the RFID tags
$GID$	Group identifier
$h(\cdot)$	A one-way hash function, $h : \{0, 1\}^* \rightarrow \{0, 1\}^l$
$h_L$	The left half of a hash value
$h_R$	The right half of a hash value
$t$	A temporary variable
$Had$	Hash address which equals $h(ID)$
$N$	Number of tags
$n$	Number of groups
$m_i$	Number of tags in the $i$ -th group
$l$	The length of an identifier which is assumed to be 96 bits
$r_1$ and $r_2$	Random numbers with length $l$ bits
$\oplus$	XOR operation
$\ $	Concatenation operation
$A \rightarrow B$	Sending a message from $A$ to $B$
$(X)_i$	$i^{th}$ -bit of string $X$ , where the least significant bit (LSB) of $X$ is denoted by $(X)_0$
$\{0\}^x$	A string of zeros of length $x$ -bits
$X _{b \sim a}$	A fraction of string $X$ includes bit $b$ to bit $a$ , where $a > b$ .
$X^i$	The value of string $X$ at the $i^{th}$ run of protocol.

TABLE I  
NOTATION

ticates the reader.

Morshed *et al.* have stated that SUAP1 is mainly suitable for an RFID system with a small number of tags. We should make clear that it is an important concern to have only a single secret  $x$  for all the tags in a large organization and this protocol should be avoided in such applications.

### B. SUAP2

To overcome the problem of SUAP1, Morshed *et al.* have proposed SUAP2 which is suitable for a large number of

tags. In this protocol it is assumed that the back-end database divides the tags to  $n$  groups and stores the tag's identifier  $ID$ , the secret number  $x$  of a group of tags and one extra variable  $GID$  which denotes a group identifier  $GID$ . The values  $x$ ,  $ID$  and  $GID$  are also stored on each tag. The back-end database also keeps the value  $Had = h(ID)$  as an address of the record containing the tag's  $ID$ . The steps of the SUAP2 (depicted in Fig. 2) are as follows:

- 1) The reader generates a random number  $r_1$  and sends it to the tag.
- 2) After receiving  $r_1$ , the tag generates another random number  $r_2$ . If  $r_1$  or  $r_2$  equals 0, the protocol aborts. Otherwise, the tag:
  - computes  $y = h(ID) + (r_1 \oplus r_2 \oplus GID)$ ,  $t = r_2 \oplus x$  and  $h(ID\|r_1\|r_2\|GID)$ .
  - sends  $y$ ,  $t$  and the left half of the computed hash value, i.e.  $h_L$ , to the reader.
- 3) The reader then sends  $y$ ,  $t$ ,  $h_L$  and  $r_1$  to the back-end database.
- 4) After receiving these values, the back-end database:
  - retrieves  $r_2$  as  $t \oplus x$ .
  - retrieves  $Had$ , i.e.  $h(ID)$ , as  $y - (r_1 \oplus r_2 \oplus GID)$  where  $Had$  is the address of the record containing  $ID$ .
  - looks up the address  $Had$ .
  - retrieves  $ID$  from the record.
  - computes  $h(ID\|r_1\|r_2\|GID)$ .
  - compares the left half of the computed value of  $h(ID\|r_1\|r_2\|GID)$  by the received value of  $h_L$ . If they are the same, it authenticates the tag and sends  $h_R$  to the reader where  $h_R$  is the right half of  $h(ID\|r_1\|r_2\|GID)$ .

- 5) The reader forwards  $h_R$  to the tag.
- 6) After receiving  $h_R$ , the tag compares the received  $h_R$  with the computed value. If they match, the tag authenticates the reader.

### C. SUAP3

For enhancing the SUAP2 efficiency, Morshed *et al.* have proposed SUAP3 in which the only difference compared to SUAP2 is that SUAP3 does not use the secret key  $x$  shared between the tag and the database. SUAP3, which is depicted in Fig. 3, is summarized below:

- 1) The reader generates a random number  $r_1$  and sends it to the tag.
- 2) After receiving  $r_1$ , the tag generates another random number  $r_2$ . If  $r_1$  or  $r_2$  equals 0, the protocol aborts. Otherwise, the tag:
  - computes  $y = h(ID) \oplus (GID + (r_1 \oplus r_2))$ ,  $t = GID \oplus r_2$  and  $h(ID \| r_1 \| r_2 \| GID)$ .
  - sends  $y, t$  and the left half of the hash value  $h(ID \| r_1 \| r_2 \| GID)$ , denoted by  $h_L$ , to the reader.
- 3) The reader then sends  $y, t, h_L$  and  $r_1$  to the back-end database.
- 4) After receiving these values, the back-end database:
  - retrieves  $r_2$  as  $t \oplus GID$ .
  - retrieves  $Had_i$  as  $y \oplus (GID + (r_1 \oplus r_2))$ , where  $Had_i = h(ID)$  is the address of the record containing the  $ID$ .
  - looks up the address  $Had_i$ .
  - retrieves  $ID$  from the record if  $Had_i = Had$  for any  $ID$ .
  - computes  $h(ID \| r_1 \| r_2 \| GID)$ .
  - compares the left half of the computed value of  $h(ID \| r_1 \| r_2 \| GID)$  by the received value of  $h_L$ . If they are the same, it authenticates the tag and sends  $h_R$  to the reader, where  $h_R$  is the right half of  $h(ID \| r_1 \| r_2 \| GID)$ .
- 5) The reader forwards  $h_R$  to the tag.
- 6) Upon receiving  $h_R$ , the tag compares the received  $h_R$  with the computed value. If these values are equal, the tag authenticates the reader.

## III. TRACEABILITY ATTACK

Morshed *et al.* have claimed that the use of two random numbers make the transferred messages unpredictable and thus, the protocol is not vulnerable to a tracing attack. However, in this section we present an efficient traceability attack against all versions of the SUAP protocols. The proposed attack is based on the following observations:

- 1) Assume that:
$$A = (A)_{l-1} \| \dots \| (A)_1 \| (A)_0,$$

$$V = (V)_{l-1} \| \dots \| (V)_1 \| (V)_0 \text{ and}$$

$$W = (W)_{l-1} \| \dots \| (W)_1 \| (W)_0$$
are strings each of  $l$ -bits where  $(V)_i$  denotes the  $i^{th}$  bit of  $V$ .
  - a) Assume that  $\mathcal{X} = A + V$  and  $\mathcal{Y} = A + W$ : if  $V|_{0 \sim i} = W|_{0 \sim i}$  then  $\mathcal{X}|_{0 \sim i} = \mathcal{Y}|_{0 \sim i}$ , for any value of  $A$ .

- b) Assume that  $\mathcal{X} = A \oplus V$  and  $\mathcal{Y} = A \oplus W$ : if  $V|_{0 \sim i} = W|_{0 \sim i}$  then  $\mathcal{X}|_{0 \sim i} = \mathcal{Y}|_{0 \sim i}$  and vice versa, for any value of  $A$ .

Hence, e.g. in SUAP1 where  $t = r_2 \oplus x$  and  $t' = r_2' \oplus x$ , if  $t|_{0 \sim i} = t'|_{0 \sim i}$ , then we can conclude that  $r_2|_{0 \sim i} = r_2'|_{0 \sim i}$  and vice versa.

Given the above observation, to trace the target tag  $T_i$  in the protocols SUAP1, SUAP2 or SUAP3, the adversary  $\mathcal{A}$  performs the following steps:

**Phase 1 (Learning):** The adversary  $\mathcal{A}$  creates a table  $Tab$  with  $N$  rows and chooses  $r_1 = 1 \| \{0\}^{l-1}$ , where  $\{0\}^{l-1}$  denotes a string of zeros of length  $(l-1)$ -bits, and runs  $N$  sessions with that tag  $T_i$  as follows, for  $1 \leq j \leq N$ :

- 1)  $\mathcal{A}$  sends  $r_1 = 1 \| \{0\}^{l-1}$  to the tag.
- 2) After receiving  $r_1$ , the tag generates a random number  $r_2^j$ . If  $r_2^j \neq 0$  then the tag:
  - computes  $y^j, t^j$  and  $h^j$ ,
  - sends  $y^j, t^j$  and the left half of the computed hash value, i.e.  $h_L^j$ , to the reader which is impersonated by  $\mathcal{A}$ .
- 3)  $\mathcal{A}$  stores  $y^j$  and  $t^j$  in the  $j^{th}$  row of  $Tab$ .

**Phase 2 (Execution) :** Given  $T_i'$  the adversary  $\mathcal{A}$  creates a table  $Tab'$  with  $N'$  rows, chooses  $r_1 = 1 \| \{0\}^{l-1}$  and runs  $N'$  sessions with the tag  $T_i'$  as follows, for  $1 \leq f \leq N'$ :

- 1)  $\mathcal{A}$  sends  $r_1 = 1 \| \{0\}^{l-1}$  to  $T_i'$ .
- 2) After receiving  $r_1$ , the tag  $T_i'$  generates a random number  $r_2^f$ . If  $r_2^f \neq 0$  then the tag:
  - computes  $y^f, t^f$  and  $h^f$ ,
  - sends  $y^f, t^f$  and the left half of the computed hash value, i.e.  $h_L^f$ , to the reader which is impersonated by  $\mathcal{A}$ .
- 3)  $\mathcal{A}$  stores  $y^f$  and  $t^f$  in the  $f^{th}$  row of  $Tab'$ .

**Phase 3 (Decision):** To decide whether  $T_i'$  is the target tag  $T_i$ , the adversary  $\mathcal{A}$  checks:

- if there exists a pair  $((y^j, t^j) \in Tab), ((y^f, t^f) \in Tab')$  such that  $(t^j|_{0 \sim k-1} = t^f|_{0 \sim k-1})$  but  $(y^j|_{0 \sim k} \neq y^f|_{0 \sim k})$  then  $T_i \neq T_i'$ , for  $0 \leq j \leq N, 0 \leq f \leq N'$  and  $0 \leq k \leq l-1$ ; otherwise,  $T_i = T_i'$ .

The total complexity of the given attack is  $N$  sessions, required for the learning phase, plus  $N'$  sessions, required for the execution phase. The adversary's advantage  $Adv_A$  to make the correct decision in the third phase of the attack is defined as follows:

$$Adv_A = \left| Pr[A^{T_i=T_i'} \Rightarrow 1] - Pr[A^{T_i \neq T_i'} \Rightarrow 1] \right|$$

To determine  $Adv_A$  one can do as follows:

- 1) For any entry  $t^j$  in  $Tab'$ , for  $1 \leq j \leq N'$  and for any  $1 \leq k \leq l$ , we denote the number of entries in  $Tab$  such that  $(t^j|_{0 \sim (k-1)} = t^f|_{0 \sim (k-1)})$  but  $((t^j)_k \neq (t^f)_k)$ , for  $1 \leq f \leq N$ , by  $M_k^j$ .
- 2) The expected value of  $M_k^j$  is  $\frac{N}{2^{k+1}}$ .
- 3) Following the given observation, if  $t^j|_{0 \sim (k)} = t^f|_{0 \sim (k)}$  and  $T_i = T_i'$  then the adversary can conclude that  $(r_2^j)|_{0 \sim (k-1)} = (r_2^f)|_{0 \sim (k-1)}$ . On the other hand, for any

version of the SUAP protocols and for the selected value as  $r_1$ , one can state that  $y^j = \mathcal{X} + r_2$ , where  $\mathcal{X}$  depends on the used version of the SUAP protocol but is static for a given tag in a given version of the protocol. So, if  $r_2^j|_{0 \sim (k)} = r_2^j|_{0 \sim (k)}$  the adversary verifies whether  $y^j|_{0 \sim (k-1)} = y^j|_{0 \sim (k-1)}$ ; which is satisfied for  $T_i = T'_i$  with the probability equal to 1 and for  $T_i \neq T'_i$  with the probability equal to  $2^{-k}$ .

- 4) Hence, recall that  $M_k^j = \frac{N}{2^{k+1}}$ , the probability that  $T_i \neq T'_i$  but the adversary outputs “1”(wrong alarm),  $Pr_{wrong}$ , is determined as follows:

$$Pr_{wrong} = \left( \prod_{k=1}^{l-1} (2^{-k})^{M_k^j} \right)^{N'} = \left( \prod_{k=1}^{l-1} (2^{-k})^{\frac{N}{2^{k+1}}} \right)^{N'}$$

- 5) The adversary’s advantage to trace the target tag successfully is given by:

$$\begin{aligned} Adv_A &= \left| Pr[A^{T_i=T'_i} \Rightarrow 1] - Pr[A^{T_i \neq T'_i} \Rightarrow 1] \right| \\ &= 1 - \left( \prod_{k=1}^{l-1} (2^{-k})^{\frac{N}{2^{k+1}}} \right)^{N'} \end{aligned}$$

Following the given procedure the adversary’s advantage to distinguish the given tag from the target tag is non-negligible. As an example, for  $N = 16$  (which can be considered as the off-line phase of the attack) and  $N' = 1$  (which can be considered as the on-line phase of the attack) and doing some numerical calculation we have  $Adv_A \geq 1 - 2^{-14}$ . Hence, even for the on-line complexity of only one run of the protocol, the success probability of the given attack is almost equal to 1. For  $N = N' = 16$  we have  $Adv_A \geq 1 - (2^{-14})^{16} = 1 - 2^{-224}$  which is almost equal to 1. An interesting point of this attack is that it works for all three protocols SUAP1, SUAP2 and SUAP3 and even the adversary does not require to know which protocol the target tag is using.

#### IV. CONCLUSIONS

In this paper we have shown that the recently proposed RFID authentication protocols by Morshed *et al.* fail to provide adequate security against traceability attacks. In this paper we presented an attack which can trace an RFID tag whenever it uses any of the protocols proposed by Morshed *et al.*, i.e. SUAP1, SUAP2 and SUAP3. We also show that the success probability of the attack is very high. In general terms SUAP family of protocols overuses the XOR operation, and this weak property should be avoided in cryptography.

#### V. ACKNOWLEDGEMENTS

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